1. Introduction

Rock fragmentation distribution influences a range of mining and milling processes including load and haul rates, crushing and grinding performance and ore recovery in beneficiation processes (Michaud et al., 1997). In opencast mining, where blasting is employed for excavation, the overall cost effectiveness of the production operations is compatible with optimization of drilling and blasting parameters. Rock fragmentation depends upon two groups of variables: rock mass properties which cannot be controlled and drill-and-blast design parameters that can be controlled and optimized. The costs of downstream operations can be reduced by optimizing the blast design parameters to provide target fragmentation. The parameters of target fragmentation are equipment specific and vary from category of mine to mine. The high level of mechanization and the integrated nature of the production systems adopted in the mining industry demand that all the units must function with the designed reliability and capacity to achieve planned production targets (Singh and Narendrula, 2009).

The objective of a blasting engineer in a mine is to generate a suitable muck pile having suitable size distribution of the rock that can be efficiently loaded, transported and milled (Singh et al., 2005). The goal of efficient blasting can be achieved by investigating the relationship between blast design parameters and fragmentation. It is extremely important to make the connection between rock blasting results and their impact on the downstream operations. It is well accepted that fragmentation has a critical effect on the loading operations, but little quantitative information is available, upon which rational blasting strategies can be outlined. Spathis (2002, 2005) discussed some aspects of size reduction and its influence on mineral liberation, which mainly described the area of prediction and assessment together with the related assumptions: fines, mean size, oversize, cumulative size distributions, and measurement protocol.

Total cost of aggregate production in a quarry has a minimum value at an optimum fragmentation size (Mackenzie, 1967; Morin and Ficarazzo, 2006). Prediction of the optimum fragmentation size will help the quarry owners in selecting blasting parameters to produce required material size at a known cost and also in selecting other crushers and conveyor systems. Optimum fragmentation size may not be the required size but knowing the size distribution for
particular blast and rock mass conditions, the contractor can adapt the blasting if possible (Engin, 2009).

Hustrulid (1999) cited from Burkle (1979) that blasting results are affected by the orientation of the rock mass structures. Three cases which have to be considered are: (i) shooting with the dip, (ii) shooting against the dip, and (iii) shooting along the strike. While shooting with the dip, backbreak increases, toe problem decreases resulting in a smooth floor, and throw of the blast increases resulting in scattered and low muck pile (Fig. 1a). When shooting against the dip, there are less backbreak, more toe problems resulting in uneven floor, and decreasing throw of the blast resulting in higher muck pile profile (Fig. 1b). Finally, when

<table>
<thead>
<tr>
<th>Name of the project</th>
<th>Rock type/Location</th>
<th>Uniaxial compressive strength (MPa)</th>
<th>Tensile strength (MPa)</th>
<th>Density (kg/m³)</th>
<th>Poisson’s ratio</th>
<th>Young’s modulus (GPa)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Sonepur Bazari</td>
<td>Sandstone/ Dragline bench</td>
<td>37.29</td>
<td>3.46</td>
<td>2320</td>
<td>0.23</td>
<td>7.05</td>
</tr>
<tr>
<td></td>
<td>Sandstone/ Shovel bench</td>
<td>36.52</td>
<td>3.41</td>
<td>2300</td>
<td>0.23</td>
<td>7.02</td>
</tr>
<tr>
<td>Nigahi</td>
<td>Sandstone/ Dragline bench</td>
<td>31.73</td>
<td>3.53</td>
<td>2054</td>
<td>0.21</td>
<td>3.41</td>
</tr>
<tr>
<td></td>
<td>Sandstone/ Shovel bench</td>
<td>29.56</td>
<td>3.23</td>
<td>2010</td>
<td>0.2</td>
<td>3.25</td>
</tr>
<tr>
<td>Kusmunda</td>
<td>Sandstone/ Shovel bench</td>
<td>26.59</td>
<td>2.14</td>
<td>2017</td>
<td>0.25</td>
<td>5.57</td>
</tr>
</tbody>
</table>

Fig. 1. Diagrammatic representations of (a) shooting with dip, (b) shooting against the dip, and (c) shooting along strike (Burkle, 1979).

Fig. 2. Effect of jointing on fragmentation (after Hustrulid, 1999).

Fig. 3. Overview of the Kusmunda project.
shooting along the strike (Fig. 1c), the floor can be highly toothed due to the different rock types intersecting the floor. For the same reasons, the backbreak is irregular. The effect of jointing on rock fragmentation has been documented by Hustrulid (1999) and is presented in Fig. 2.

The Kuz–Ram model is generally used for prediction of the fragmentation size after blasting. The Kuz–Ram model is an empirical fragmentation model based on the Kuznetsov (1973) and Rosin and Rammler (1933) equations modified by Cunningham (1983, 1987) which derives the uniformity index in the Rosin–Rammler equation from blasting parameters. Rock properties, explosive properties, and design variables are combined in this modern version of the Kuz–Ram fragmentation model.

The Rosin–Rammler equation used by Cunningham (1983) for blasting analysis is

$$ R = e^{-\left(\frac{x}{x_c}\right)^n} $$

where $R$ is the fraction of material retained on screen, $x$ is the screen size, $x_c$ is a constant called characteristic size, and $n$ is a constant called uniformity index.

The uniformity index typically has values between 0.6 and 2.2 (Cunningham, 1983). A value of 0.6 means that the muck pile is non-uniform (dust and boulders) while a value of 2.2 means a uniform muck pile with majority of fragments close to the mean

Fig. 4. View of the detonation sequence of shovel bench blast conducted at Kusmunda project.

Fig. 5. Post blast view of different benches at Kusmunda project.
According to Gheibie et al. (2009), for hard, high

comparison, an equivalent quantity for an explosive (rock uniaxial compressive strength, and Young's modulus) is calculated as

where $E_e$ is the absolute weight strength of the explosive (cal/g) and the factor 1090 is the absolute weight strength of TNT.

The above two equations can further be simplified to the following expression:

$$Q = Q_e \frac{E_e}{1090}$$

where $E_e$ is the absolute weight strength of the explosive (cal/g) and the factor 1090 is the absolute weight strength of TNT.

The Kuznetsov equation is

$$k_{50} = A \left( \frac{V}{Q} \right)^{0.8} Q^{1.6}$$

where $k_{50}$ is the average fragment in cm, $A$ is a rock factor, $V$ is the rock volume in m$^3$ broken per hole (burden $\times$ spacing $\times$ bench height), and $Q$ is the mass in kg of TNT equivalent explosives per hole.

Cunningham (1983) associated the parameter $A$ with rock mass description (frangible, jointed or massive), joint spacing, rock density, rock uniaxial compressive strength, and Young’s modulus. According to Gheibie et al. (2009), $A$ is equal to 7 for medium rocks, 10 for hard, high fissured rocks, and 13 for hard, weakly fissured rocks.

Since TNT is no longer used as a standard explosive for comparison, an equivalent quantity for an explosive ($Q_e$) related to TNT is calculated as

$$Q_e = \frac{Q}{E_e}$$

where $E_e$ is the absolute weight strength of the explosive (cal/g) and the factor 1090 is the absolute weight strength of TNT.

The Kuznetsov equation relates the mean fragment size to the quantity of explosives needed to blast for a given volume of rock. The Kuznetsov equation is

$$Q = Q_e \frac{E_e}{1090}$$

where $E_e$ is the absolute weight strength of the explosive (cal/g) and the factor 1090 is the absolute weight strength of TNT.

The above two equations can further be simplified to the following expression:

$$k_{50} = A \left( \frac{V}{Q} \right)^{0.8} Q^{1.6}$$

where $q$ is the inverse of $V/Q$, defined as the powder factor (kg/m$^3$).

Assuming $x = k_{50}$ in Eq. (1), $R = 50\% = 0.5$, we have

$$0.5 = e^{- \left( \frac{k_{50}}{x_c} \right)^n}$$

Therefore, $k_{50}$ can be determined from the Kuznetsov equation and the characteristic size $x_c$ can be calculated if $n$ is known. If both $x_c$ and $n$ are known then the distribution is known from the Rosin–Rammler equation. The resulting model is called the Kuz–Ram model. Cunningham (1987) proposed the following formula for the estimation of $n$:

$$n = \frac{2.2 - 14B}{d} \left( 1 - \frac{W}{B} \right) \left( 1 + \frac{S/B}{2} \right)^{0.5} \left( \frac{L_b - L_c}{L_b + L_c} + 0.1 \right)^{0.1} \frac{L}{H}$$

where $B$ is the burden in m, $d$ is the hole diameter in mm, $W$ is the standard deviation of drilling accuracy in m, $S/B$ is the spacing to burden ratio, $L$ is the charge length above grade level in m, $L_b$ is the bottom charge length above grade in m, $L_c$ is the column charge length in m, and $H$ is the bench height in m.

Table 2

<table>
<thead>
<tr>
<th>Name of the project</th>
<th>No. of trial blasts</th>
<th>Blast hole diameters (mm)</th>
<th>burden depths (m)</th>
<th>Burden (m)</th>
<th>Spacing (m)</th>
<th>Top stemming (m)</th>
<th>Primer/Booster</th>
<th>Initiation systems</th>
<th>Explosives</th>
</tr>
</thead>
<tbody>
<tr>
<td>Nigahi</td>
<td>25</td>
<td>269 and 311</td>
<td>9.5–42</td>
<td>4–10</td>
<td>6–13</td>
<td>5–7.5</td>
<td>PETN cast booster: 0.5–6 kg (i.e. 0.16%–0.2% of column charge)</td>
<td>Detonating cord with cord relay (CR) of 25 ms and 50 ms and milli-second connector (MSC: 17 ms, 42 ms, 65 ms, 100 ms, 125 ms, 142 ms and 150 ms)</td>
<td>Site mixed emulsion explosives</td>
</tr>
<tr>
<td>Sonepur Bazari</td>
<td>32</td>
<td>269</td>
<td>10–31</td>
<td>4–9</td>
<td>5–10</td>
<td>5.6–9</td>
<td>PETN cast booster: 0.125–3 kg (i.e. 0.16%–0.2% of column charge)</td>
<td>Non-electric shock tube delay detonators: Down the hole delays (DTH) – 450 ms and Trunk line delays (TLD) – 17 ms, 25 ms and 42 ms</td>
<td>Site mixed emulsion explosives</td>
</tr>
<tr>
<td>Kusmunda</td>
<td>34</td>
<td>259</td>
<td>10–20</td>
<td>5.8–7.5</td>
<td>6–7.8</td>
<td>4.5–8</td>
<td>PETN cast booster: 0.25–0.75 kg (i.e. 0.15%–0.2% of column charge)</td>
<td>Non-electric shock tube delay detonators: Down the hole delays (DTH) – 450 ms; Trunk line delays (TLD) – 17 ms and 42 ms; and detonating cord with cord relay of 50 ms</td>
<td>Site mixed emulsion explosives</td>
</tr>
</tbody>
</table>

2. Experimental site details

Investigations were carried out at three mines in India, i.e. Nigahi project of Northern Coalfields Limited, Sonepur Bazari project of Eastern Coalfields Limited, and Kusmunda project of South Eastern Coalfields Limited.

The Nigahi project stands out as a hilly plateau with elevation of about 400–450 m above the mean sea level. The rocks are of lower
Gondwana formation. There are three coal seams, i.e. Turra, Purewa bottom and Purewa top seams (Purewa bottom and top seams are combined at few locations). The thicknesses of the coal seams are 13\text{–}17\,m, 11\text{–}12\,m and 7\text{–}9\,m, respectively. The direction of strike is towards E\text{–}W with broad swings. The dip of the coal seam is 1\text{°}\text{–}4\text{°} in northerly direction. The block has 491.8\,Mt of coal reserves. In Turra and Purewa (bottom, top and combined) seams, the average stripping ratio is 1\text{:}3.76, i.e. 3.76\,m\textsuperscript{3} of overburden is to be removed for extraction of 1\,t of coal. The mine is currently producing 14\,Mt of coal per annum.

Sonepur Bazari project of Eastern Coalfields Limited is located in the eastern part of Raniganj Coalfields. Four coal seams, i.e. R-IV, R-V, R-VI and R-VII, are mainly exposed in the mine. Presently, seams R-V and R-VI are being extracted by opencast method of mining. The mine is producing about 4.5\,Mt of coal and removal of overburden is about 12\,Mm\textsuperscript{3}. The stripping ratio of the mine is 1\text{:}4.72, i.e. 4.72\,m\textsuperscript{3} of overburden is to be removed for mining of 1\,t of coal. The mine is currently producing 14\,Mt of coal per annum.

Kusmunda project is located in the western bank of Hasdeo River in the central part of Korba Coalfields in the district of Korba, Chhattisgarh State. Kusmunda project is having a flat terrain with minor undulations. The general elevation ranges from about 290\,m to 300\,m above mean sea level. The seams generally have a dip ranging from 5\text{°} to 10\text{°} and the overall grade of coal is of Grade ‘F’. The mine produces about 18.75\,Mt of coal per year. The total overburden handled is about 30.69\,Mm\textsuperscript{3}. The overview of the Kusmunda opencast project is shown in Fig. 3.

3. Methodology

Blast design parameters of bench blasting are the controlling parameters which regulate the desired fragmentation level of a particular blast. Rock mass properties and blasting parameters control the efficiency of a blasting operation. But, all the blast design parameters cannot be changed depending on the type of strata and bench height. Hole diameters of 159\,mm, 259\,mm, 269\,mm and 311\,mm were used depending on their bench height. The bench height is related to the working capability of loaders and varies from 5\,m to 42\,m. A few blasts were performed by the existing blast design practiced in the mine and after each blast, 18\text{–}25 scaled digital photographs throughout the complete mucking of the fragmented rock pile were taken as well as loading efficiency of the shovel was recorded. Fragmentation characteristics such as mean fragment size, uniformity index and...
Fig. 8. Blast wave signals recorded at 100 m from the dragline bench blast at Sonepur Bazari project.

Blast design parameters: $B \times S$: 7 m x 8 m; hole depth: 26 m; hole diameter: 269 mm; total charge: 20,600 kg of SME explosives

Fig. 9. Blast wave signals recorded at 100 m from the shovel bench blast at Kusmunda project.

Blast design parameters: $B \times S$: 7 m x 7.5 m; hole depth: 16.7 m; hole diameter: 259 mm; total charge: 22,974 kg of SME explosives
characteristic size were calculated by using digital images in an image analysis system called Wipfrag™ software. The physico-mechanical properties of rock sample collected at Nigahi, Sonepur Bazari and Kusmunda projects are presented in Table 1. Fig. 4 depicts the view of the detonation sequence of shovel bench blast at Kusmunda project. Fragmentation analyses were carried out for all the blasts in different segments. The view of the post blast results of different benches at Kusmunda project is depicted in Fig. 5.

4. Analysis of data

The blast design parameters data collected from 91 blasts from three experimental sites are analyzed to find out their impacts on rock fragmentation level. The main important parameters which decide the fragmentation level of particular blasts are burden to hole diameter ratio, spacing to burden ratio, stemming column length, stiffness ratio, explosives amount and type, initiation mode and charge/powder factor. Table 2 summarizes the details of the trial blast conducted at three experimental sites. Fig. 6 represents the elements of blast design parameters. The near field blast vibration signals were also recorded to diagnose the impact of delay timing on rock fragmentation. The blast wave signals recorded at 100 m from one of the hard overburden dragline bench blast are depicted in Fig. 7. In this blast, the delay interval between the holes in a row was 17 ms and between the rows the delay intervals were 65 ms, 84 ms, 100 ms, 117 ms, 134 ms and 150 ms in subsequent rows. Fig. 8 represents the blast wave signals recorded at 100 m from the hard OB bench (dragline bench) blast at Sonepur Bazari project. In this blast, the delay intervals were 17 ms between the holes in a row and 65 ms and 84 ms between the rows. Other blast wave signals recorded at 100 m from the shovel bench blast with delay interval of 17 ms between the holes in a row and 59 ms, 84 ms and 101 ms between the rows are presented in Fig. 9.

Fig. 10. Netting, contouring, histogram and cumulative size curve view of fragmented block at medium hard overburden bench of Nigahi project.

Fig. 11. Plot of cycle time of shovel at hard overburden shovel bench of Nigahi project.
The fragmentations achieved from these blasts reflected different results. Most of the blasts results were excellent in terms of fragmented rock mass and its uniformity. A few blasts results also have shown scattered results in terms of large size boulders and fine and dust particles as represented in terms of uniformity index \((n)\). Most of the blasts resulted in good muck piles. The fragment size analyses were carried out using Wipfrag software. The output of the analyses are in the form of number of exposed fragmented blocks, maximum, minimum and mean sizes of the fragmented blocks, sieve analysis as per the requirement, i.e. at different percentile sizes of \(D_{10}\), \(D_{25}\), \(D_{50}\), \(D_{75}\) and \(D_{90}\) (percentile sizes: for example, \(D_{10}\) is the ten-percentile, the value for which 10% by weight of the sample is finer and 90% coarser. In terms of sieving, \(D_{10}\) is the size of sieve opening through which 10% by weight of the sample would pass). The detailed fragmentation analyses were carried out at Nigahi, Sonepur Bazari and Kusmunda projects. One of the fragmented size analyses of the blast conducted at medium hard overburden bench of Nigahi project is shown in Fig. 10. The loading cycle of 10 m³ shovel for the blast performed at hard overburden shovel bench is depicted in Fig. 11. The similar fragmentation analysis has been presented for the blast results performed at hard overburden bench of Sonepur Bazari project and is illustrated in Fig. 12. Fig. 13 represents the loading cycle of the 10 m³ shovel operated at hard overburden shovel bench of Sonepur Bazari project.
project. Fragmentation size analyses of the blast conducted at hard, medium hard and soft overburden benches of Kusmunda project are shown in Figs. 14–16. Fig. 17 represents the loading cycle of the 10 m³ shovel operated at medium hard overburden shovel bench at Kusmunda project.

4.1. Burden to hole diameter ratio

Hole diameter and burden are two important blast design parameters. In these trial blasts, hole diameters were of three different types, i.e. of 259 mm, 269 mm and 311 mm but out of 91 blasts, 85 blasts were conducted with 259 mm and 269 mm diameters. Therefore, it can be said that the variation in burden to hole diameter ratio was in fact the variation in burden alone. Fig. 18 depicts the plot between burden to hole diameter ratio vs. mean fragment size. It is observed from Fig. 18 that the mean fragment size decreases with decrease in burden to hole diameter ratio. A few data do not show the expected trend probably because of the impact of geology on blast fragmentation. In general, the small diameter holes with smaller burden produces smaller fragment sizes.

4.2. Spacing to burden ratio

Spacing and burden are important parameters and have immediate impacts on rock fragmentation in blast design. Excessive burden creates resistance to penetrate the explosion gases into the fracture and displace rock, and will also produce excessive vibration level. Small burden allows the gases to escape and push the blasted rock uncontrollably with high speed. Small spacing causes excessive crushing between the holes and superficial crater breakage. Excessive spacing results in inadequate fracturing between the blast holes which creates irregular faces with toe problems. The spacing to burden ratio can also be adjusted by changing the blast detonation sequence through different cut designs, i.e. diagonal firing, V-cut and elongated V-cut firing. If burden is not compatible with spacing, the blast holes will not connect, resulting in inadequate use of explosive energy. In general, the spacing to burden ratio varies between 1 and 2 but the optimal spacing to burden ratio was 1.15 for staggered pattern and 1.25 for rectangular pattern (Hagan, 1983). Mean fragment size and uniformity index \((n)\) verses spacing to burden ratio are plotted in Figs. 19 and 20, respectively. As most of the data have slight variation in spacing to burden ratio, the outcome of the graphs is not so significant. It also appears from Fig. 20 that uniformity index in few blasts is not in accordance with trend line which resulted in either poor fragmentation in terms of fine fragment or large size boulders. However, in Fig. 19, the spacing to burden ratio between 1.1 and 1.3 shows excellent blast results except for a few blasts which have low uniformity index \((n)\) due to presence of joints and back-breaks of previous blast.

4.3. Stemming length to burden ratio

Stemming length is another blast design parameter that affects rock fragmentation. This becomes even more significant when the blast faces encounter hard rock near the blast hole collar zone. If the
rock has natural cracks in burden portion, then long stemming may be recommended, but on the other hand, for massive rock, stemming column is required to be kept short. For the blasts in sandstone benches of coal mine, stemming length to burden ratio was plotted against mean fragment size. The data points are relatively scattered but the general trend shows that the mean size of fragmented rock decreases with the decrease in stemming length to burden ratio (Fig. 21).

4.4. Powder factor

Powder factor is the ratio between the amount of rock broken and total weight of explosive consumed. It is an important parameter in blast design and has a vital influence on the resultant fragmentation. Higher powder factor causes oversize and lower powder factor results in crushed rock. Mean fragment size was plotted against the powder factor for 91 blasts of coal overlying overburden benches, as presented in Fig. 22. The general trend shows that, with increase in powder factor, the mean fragment size decreases. A few scattered data in this graph are expected due to the geological discontinuities of the rock mass of the blasting patch.

4.5. Stiffness (bench height to burden ratio)

Stiffness is the bench height to burden ratio and also influences the resultant fragmentation. Although, the bench height is usually decided on the basis of the working specification of the loading equipment, the bench height should also be adequate to achieve optimal burden, spacing and powder factor (Singh and Abdul, 2012). The mean fragment size was plotted against stiffness as shown in Fig. 23. It is observed that the stiffness value of less than 2 gives coarser fragmentation and the best optimum value comes around 3. Change in the burden or spacing has significant effect on rock fragmentation. In case of high stiffness value, it is easy to displace and deform rock especially at the center of the bench (Ash, 1985) but on the other hand, there can be problems relating to blast hole deviation.

4.6. Joint plane orientation and spacing

Joint and bedding planes act as natural pre-splits during blasting and if possible, should be used to improve blast performance. For example, horizontal bedding allows pull to be maximized and the blasted rock will tend to split horizontally. Spacing of joints within a rock mass will have significant impact on the size distribution of
the blasted muck. In general, the joint spacing will also improve the fragmentation level. It is suggested that in a rock mass with small joint plane spacing, explosives having lesser shock energy and high gas energy should be used; while in case of rock mass having larger joint spacing, higher shock energy and lesser gas energy should be used for better shattering effect.

5. Conclusions

The main conclusions of the study are drawn as follows:

(1) Mean fragment particle size increases with the increase in the burden to hole diameter ratio. This increase was mainly due to the increase in burden as the hole diameter was kept constant.

(2) Mean fragment size of the blasted muck decreases with the increase in the spacing to burden ratio. The optimum value of spacing to burden ratio ranged from 1.1 to 1.3 and resulted in excellent rock fragmentation. It was found that the uncontrollable parameters such as joints and fractures have significant influence on uniformity index ($n$).
Stemming length to burden ratio was plotted against mean fragment size and the general trend shows that mean fragment size of fragmented rock decreases with the decrease of stemming length to burden ratio.

As anticipated, the increase in the charge/powder factor will increase the rock fragmentation level, i.e. decrease in the mean fragment size of the rock.

The stiffness (bench height to burden ratio) vs. mean fragment size plot indicates decrease in mean fragment size with increasing stiffness.

Conflict of interest

We wish to confirm that there are no known conflicts of interest associated with this publication and there has been no significant financial support for this work that could have influenced its outcome.

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References


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Dr. Pradeep Kumar Singh obtained his Post Graduation degree from Banaras Hindu University, Varanasi, India and earned his Doctor of Engineering Degree from the Technical University, Clausthal, Germany. Dr. Singh also worked at Lossande Institute of Geosciences, University of Toronto, Canada as Post-Doctoral Fellow. Dr. Singh has made notable contributions in Explosives Science and Blasting Technologies to solve practical problems in the mining industry encompassing the fields of optimal use of explosives energy in rock fragmentation, explosives energy partitioning, blast vibrations, wall-control, fragmentation control, blast design in mines and tunnels, pre-split blast design, cast blast designs in coal mining operations besides correlating structural damage due to blast vibrations. He has authored a blast damage index for underground openings in close vicinity of opencast blasting operations and the Mine Regulatory Authority in India (DGMS) issued a mandatory guideline (circular No. 06; dated 28.05.2007) “Damage of below ground structures due to blast induced vibration in nearby opencast mines” based on his studies for implementation at the mines. Dr. Singh has authored additionally 4 guidelines which has been internationally accepted. Dr. Singh has published 112 papers in refereed international and national journals/symposia and has also authored 3 books. Dr. Singh is representing India in the International Committee on World Forum of University on Resources and Sustainability, headquarter in Germany and is Chairman of International Committee on Rock Fragmentation by Blasting, headquarter in Spain. Dr. Singh was deputed for scientific pursuits to Australia, Austria, Canada, Chile, China, France, Germany, Japan, Netherlands, Norway, Poland, Portugal, Russia, Spain, Sweden and USA. Dr. Singh is recipient of prestigious National Mineral Award, Raman Research Award, Fellow of German Academy, etc.